

Assume that the **Getting To Know You Survey** is a random sample drawn from the population of all U of M students. Use the following code to access data from the Getting To Know You Survey.

```
survey_f22 <- read.csv("http://users.stat.umn.edu/~parky/Fall2022Survey.csv", header=TRUE)
```

We are interested in testing the following two claims at the 0.05 significance level:

- A. Instagram is the top social media for more than 40% of students at the U.
- B. The average time students at the U spend per day on social media is less than 4 hours.

Problem 1

We will be working with the variable `FavSocialMedia`.

- (i) What are the assumptions for conducting this hypothesis test? Are they met in this case?
- (ii) Let p denote the true proportion of all U of M students whose most often used social media is Instagram. Write down the null hypothesis and the alternative hypothesis to test claim A.
- (iii) Calculate the test statistic by hand.
- (iv) Calculate the p-value. Interpret it.
- (v) What is your conclusion?
- (vi) Now repeat the analysis in R using the `prop.test()` function with the argument `correct = FALSE`. Show the R commands and the output. Does the result agree with what you have calculated previously? Note: The χ -squared value reported in R is the square of the test statistic z^* .
- (vii) What type of error have you possibly made? Explain.
- (viii) Construct a 95% confidence interval for p . Can we use this confidence interval to draw a conclusion for our hypothesis test?

Problem 2

We will be working with the variable `HoursSpentOnSocialMedia`.

- (i) Let μ denote the average time U of M students spend per day on social media. Test claim B. Write down all five steps.

- (ii) Now repeat the analysis in R using the `t.test()` function. You only need to show the R commands and the output. Does the result agree with what you have calculated previously?

- (iii) What type of error have you possibly made? Explain.

- (iv) Construct a 95% confidence interval for μ . Can you use this confidence interval to draw a conclusion for the hypothesis test? What if we want to test whether or not μ is equal to 4 (meaning that $H_a : \mu \neq 4$)?